Queues CS284

Structure of this week's classes

Queues

Applications

Implementation

Queue

- The queue, like the stack, is a widely used data structure
- A queue differs from a stack in one important way
 - A stack is LIFO list Last-In, First-Out
 - While a queue is FIFO list First-In, First-Out

Example: Print Queue

- Operating systems use queues to
 - keep track of tasks waiting for a scarce resource
 - ensure tasks are carried out in the order they were generated
- Print queue: printing is much slower than the process of selecting pages to print, so a queue is used

The Queue Interface (Sample) – $_{java.util}$ (1/2)

```
public interface Queue<E> extends Collection<E> {
// Returns entry at front of queue without removing it. If the
// gueue is empty, throws NoSuchElementException
E element()
// Insert an item at the rear of a queue
boolean offer(E item)
// Return element at front of queue without removing it; returns null
E peek()
// Remove and return entry from front of queue; returns null if queue
E poll()
// Removes entry from front of queue and returns it if queue not empty
E remove()
```

The Queue Interface – java.util (2/2)

Note:

Stack<E> is a class (derived from Vector) but Queue<E> is an interface (derived from Collection)

Queues

Applications

Implementation

Simulation

- Used to study the performance of a physical system by using a physical, mathematical, or computer model of the system
- Allows designers of a new system to estimate the expected performance before building it
- Can lead to changes in the design that will improve the expected performance of the new system
- Useful when the real system would be too expensive to build or too dangerous to experiment with after its construction
- System designers often use computer models to simulate physical systems
- A branch of mathematics called queuing theory studies such problems

Blue Sky Airlines (BSA) Example



- Two waiting lines:
 - regular customers
 - frequent flyers
- One ticket agent
- Determine average wait time for taking passengers from waiting lines
- Analyze various strategies:
 - take turns serving passengers from both lines (one frequent flyer, one regular, one frequent flyer, etc.)
 - serve the passenger waiting the longest
 - serve any frequent flyers before serving regular passengers

Blue Sky Airlines Example

- To run the simulation, we must keep track of the current time by maintaining a clock set to an initial time of zero
- The clock will increase by one time unit until the simulation is finished
- During each time interval, one or more of the following events occur(s):
 - a new frequent flyer arrives in line
 - a new regular flyer arrives in line
 - the ticket agent finishes serving a passenger and begins to serve a passenger from the frequent flyer line
 - the ticket agent finishes serving a passenger and begins to serve a passenger from the regular passenger line
 - the ticket agent is idle because there are no passengers to serve

Blue Sky Airlines Example

- We can simulate different serving strategies by introducing a simulation variable, frequentFlyerMax (> 0)
- frequentFlyerMax represents the number of consecutive
 frequent flyer passengers served between regular passengers
- ► When frequentFlyerMax is:
 - ▶ 1, every other passenger served will be a regular passenger
 - 2, every third passenger served will be a regular passenger a very large number, any frequent flyers will be served before regular passengers

Simulation Class Diagrams



Class Passenger

```
import java.util.*;
public class Passenger {
  // Data Fields
  /** The ID number for this passenger. */
 private int passengerId;
  /** The time needed to process this passenger. */
 private int processingTime;
/** The time this passenger arrives. */
 private int arrivalTime;
  /** The maximum time to process a passenger. */
 private static int maxProcessingTime;
  /** The sequence number for passengers. */
 private static int idNum = 0;
```

Class Passenger

Class Passenger

```
/** Get the processing time.
      @return The processing time */
 public int getProcessingTime() {
    return processingTime:
/** Get the passenger ID.
      @return The passenger ID */
 public int getId()
    return passengerId;
  /** Set the maximum processing time
      @param maxProcessingTime The new value */
 public static void setMaxProcessingTime(int maxProcessTime) {
   maxProcessingTime = maxProcessTime;
```

```
import java.util.*;
public class PassengerQueue {
  // Data Fields
  /** The queue of passengers. */
 private Queue<Passenger> theQueue;
 /** The number of passengers served. */
 private int numServed;
/** The total time passengers were waiting. */
 private int totalWait;
  /** The name of this queue. */
 private String queueName;
  /** The average arrival rate. */
  private double arrivalRate;
```

```
// Constructor
 /** Construct a PassengerQueue with the given name.
     Oparam gueueName The name of this gueue
  */
public PassengerQueue(String queueName) {
   numServed = 0:
   totalWait = 0;
   this.queueName = queueName;
   theQueue = new LinkedList<Passenger>();
 /** Return the number of passengers served
     @return The number of passengers served
  * /
public int getNumServed() {
   return numServed;
```

```
/** Return the total wait time
    @return The total wait time
    */
public int getTotalWait() {
    return totalWait;
    }
    /** Return the queue name
    @return - The queue name
    */
public String getQueueName() {
    return queueName;
}
```

```
/** Set the arrival rate
      Oparam arrivalRate the value to set
   */
 public void setArrivalRate(double arrivalRate) {
   this.arrivalRate = arrivalRate;
 /** Determine if the passenger queue is empty
          @return true if the passenger queue is empty
   + /
 public boolean isEmpty()
                           {
    return theQueue.isEmpty();
/** Determine the size of the passenger queue
      @return the size of the passenger queue
   * /
 public int size() {
    return theQueue.size();
```

```
/** Check if a new arrival has occurred.
      Oparam clock The current simulated time
      Oparam showAll Flag to indicate that detailed
                     data should be output
   */
public void checkNewArrival(int clock, boolean showAll) {
    if (Math.random() < arrivalRate) {</pre>
      theQueue.add(new Passenger(clock));
      if (showAll) {
        System.out.println("Time is "
                          + clock + ": "
                          + queueName
                          + "arrival, new queue size is"
                          + theOueue.size());
```

```
/** Update statistics.
    pre: The queue is not empty.
    @param clock The current simulated time
    @param showAll Flag to indicate whether to show detail
    @return Time passenger is done being served
    */
public int update(int clock, boolean showAll) {
    Passenger nextPassenger = theQueue.remove();
    int timeStamp = nextPassenger.getArrivalTime();
    int wait = clock - timeStamp;
    totalWait += wait;
    numServed++;
    // continued
```

```
public class AirlineCheckinSim {
  // Data Fields
  /** Oueue of frequent flyers. */
 private PassengerQueue frequentFlyerQueue =
      new PassengerQueue("Frequent Flyer");
  /** Oueue of regular passengers. */
  private PassengerQueue regularPassengerQueue =
      new PassengerQueue("Regular Passenger");
  /** Maximum number of frequent flyers to be served
      before a regular passenger gets served. */
  private int frequentFlyerMax;
  /** Maximum time to service a passenger. */
  private int maxProcessingTime;
  /** Total simulated time. */
  private int totalTime;
```

```
/** If set true, print additional output. */
private boolean showAll;

/** Simulated clock. */
private int clock = 0;

/** Time that the agent will be done with the current passenger.*/
private int timeDone;

/** Number of frequent flyers served since the
    last regular passenger was served. */
private int frequentFlyersSinceRP;
```

```
private void runSimulation() {
  for (clock = 0; clock < totalTime; clock++) {
    frequentFlyerQueue.checkNewArrival(clock, showAll);
    regularPassengerQueue.checkNewArrival(clock, showAll);
    if (clock >= timeDone) {
      startServe();
    }
  }
}
```

```
private void startServe()
   if (!frequentFlyerQueue.isEmpty()
       && ( (frequentFlyersSinceRP <= frequentFlyerMax)</pre>
           || regularPassengerQueue.isEmpty())) {
     // Serve the next frequent flyer.
     frequentFlyersSinceRP++;
     timeDone = frequentFlyerOueue.update(clock, showAll);
   else if (!regularPassengerQueue.isEmpty()) {
     // Serve the next regular passenger.
     frequentFlyersSinceRP = 0;
     timeDone = regularPassengerQueue.update(clock, showAll);
   else if (showAll)
     System.out.println("Time is " + clock + " server is idle");
```

```
/** Method to show the statistics. */
private void showStats() {
  System.out.println
      ("\nThe number of regular passengers served was "
        + regularPassengerOueue.getNumServed());
  double averageWaitingTime =
       (double) regularPassengerQueue.getTotalWait()
       / (double) regularPassengerQueue.getNumServed();
  System.out.println(" with an average waiting time of "
                     + averageWaitingTime);
  // continues
```

Run a Simulation

You must supply:

- Expected number of frequent flyer arrivals per hour (arrival rate is this value / 60)
- Expected number of regular passenger arrivals per hour (arrival rate is this value / 60)
- The maximum number of frequent flyers served between regular passengers (frequentFlyerMax)
- Maximum service time in minutes (maxProcessingTime)
- Total simulation time in minutes (totalTime)

Run a Simulation

- Expected number of frequent flyer arrivals per hour (arrival rate is this value / 60): 240
- Expected number of regular passenger arrivals per hour (arrival rate is this value / 60): 120
- The maximum number of frequent flyers served between regular passengers (frequentFlyerMax): 3
- Maximum service time in minutes (maxProcessingTime): 4
- Total simulation time in minutes (totalTime): 60

```
The number of regular passengers served was 5
with an average waiting time of 30.8
The number of frequent flyers served was 20
with an average waiting time of 17.4
Passengers in frequent flyer queue: 40
Passengers in regular queue: 55
```

Queues

Applications

Implementation

Class ${\tt LinkedList}$ Implements the Queue Interface

- The LinkedList class provides methods for inserting and removing elements at either end of a double-linked list, which means all Queue methods can be implemented easily
- ▶ The Java 5.0 LinkedList class implements the Queue interface

```
Queue<String> names = new LinkedList<String>();
```

 creates a new Queue reference, names, that stores references to String objects

- Insertions are at the rear of a queue and removals are from the front
- ► We need a reference to the last list node so that insertions can be performed at O(1)
- The number of elements in the queue is changed by methods insert and remove



- A comment before beginning
- One might expect to start out with something like:

```
public class ListQueue<E> implements Queue<E> {
    ...
}
```

However, since Queue is a subinterface of other interfaces (namely, Collection<E> and Iterable<E>), many additional operations would have to be implemented

- It is best to start off with the abstract class AbstractQueue since it implements all operations except for:
 - public boolean offer(E item)
 - public E poll()
 - public E peek()
 - public int size()
 - public lterator<E> iterator()
- Our implementation shall concentrate on these

```
public class ListQueue<E> extends AbstractQueue<E>
    implements Queue<E> {
        ...
}
```

```
import java.util.*;
public class ListQueue<E> extends AbstractQueue<E>
    implements Queue<E> {
    // Data Fields
    /** Reference to front of queue. */
    private Node<E> front;
    /** Reference to rear of queue. */
    private Node<E> rear;
    /** Size of queue. */
    private int size;
```

```
/** Node is building block for single-linked list. */
private static class Node<E> {
  private E data;
  private Node next;
  /** Creates a new node with a null next field.
      Oparam dataItem The data stored
   */
  private Node(E dataItem) {
    data = dataItem;
    next = null;
  /** Creates a new node that references another node.
      Oparam dataItem The data stored
      @param nodeRef The node referenced by new node
   */
  private Node(E dataItem, Node<E> nodeRef) {
    data = dataItem;
    next = nodeRef;
} //end class Node
```

```
/** Insert an item at the rear of the queue.
    post: item is added to the rear of the queue.
    @param item The element to add
    @return true (always successful) */
public boolean offer(E item) {
    // Check for empty queue.
    if (front == null) {
        rear = new Node<E> (item);
        front = rear;
    }
    else {
```

```
else {
    // Allocate a new node at end, store item in
    // it, and
    // link it to old end of queue.
    rear.next = new Node<E>(item);
    rear = rear.next;
}
size++;
return true;
```

```
/** Return the item at the front of the queue without removi
@return The item at the front of the queue if successful
*/
public E peek() {
   if (size == 0)
      return null;
   else
      return front.data;
}
```

```
/** Remove the entry at the front of the queue and
    return it if the queue is not empty.
    post: front references item that was 2nd in queue.
    @return Item removed if successful, null othw */
public E poll() {
  E item = peek(); // Retrieve item at front.
   if (item == null)
    return null:
   if (size==1) { // Queue has one item
      front = null;
      rear = null;
   } else { // Queue has two or more items
      front = front.next:
   size--;
   return item; // Return data at front of queue.
```

- The time efficiency of using a single- or double-linked list to implement a queue is acceptable
- However, there are some space inefficiencies
- Storage space is increased when using a linked list due to references stored in the nodes
- Array Implementation
 - Insertion at rear of array is constant time $\mathcal{O}(1)$
 - ▶ Removal from the front is linear time O(n) if we shift all elements
 - Removal from rear of array is constant time $\mathcal{O}(1)$
 - Insertion at the front is linear time $\mathcal{O}(n)$ if we shift all elements
- We can avoid these inefficiencies in a circular array









Now we add A



ArrayQueue q = new ArrayQueue(5);



```
public ArrayQueue(int initCapacity) {
  capacity = initCapacity;
  theData = (E[])new Object[capacity];
  front = 0;
  rear = capacity - 1;
  size = 0;
}
```



```
public boolean offer(E item) {
    if (size == capacity) {
        reallocate();
    }
    size++;
    rear = (rear + 1) % capacity;
    theData[rear] = item;
    return true;
}
```

Let's see an example

q.offer('*');q.offer('+');q.offer('/');q.offer('-');q.offer('A');



```
public boolean offer(E item) {
    if (size == capacity) {
        reallocate();
    }
    size++;
    rear = (rear + 1) % capacity;
    theData[rear] = item;
    return true;
}
```

next = q.poll();next = q.poll();



```
public E poll() {
    if (size == 0) {
        return null
    }
    E result = theData[front];
    front = (front + 1) % capacity;
    size--;
    return result;
}
```

Implementing a Queue Using a Circular Array (cont.) q.offer('B');q.offer('C')



```
public boolean offer(E item) {
    if (size == capacity) {
        reallocate();
    }
    size++;
    rear = (rear + 1) % capacity;
    theData[rear] = item;
    return true;
}
```

```
private void reallocate() {
  int newCapacity = 2 * capacity;
  E[] newData = (E[]) new Object[newCapacity];
  int j = front;
  for (int i = 0; i < size; i++) {</pre>
    newData[i] = theData[j];
    j = (j + 1) \% capacity;
  front = 0;
  rear = size -1;
  capacity = newCapacity;
  theData = newData;
```

Comparing the Three Implementations

- All three implementations (double-linked list, single-linked list, circular array) are comparable in terms of computation time
- All operations are $\mathcal{O}(1)$ regardless of implementation
- ► Although reallocating an array is O(n), it is amortized over n items, so the cost per item is O(1)

Comparing the Three Implementations

Storage

- Linked-list implementations require more storage due to the extra space required for the links
 - Each node for a single-linked list stores two references (one for the data, one for the link)
 - Each node for a double-linked list stores three references (one for the data, two for the links)
- A double-linked list requires 1.5 times the storage of a single-linked list
- A circular array that is filled to capacity requires half the storage of a single-linked list to store the same number of elements, but a recently reallocated circular array is half empty, and requires the same storage as a single-linked list
- All three implementations (double-linked list, single-linked list, circular array) are comparable in terms of computation time